

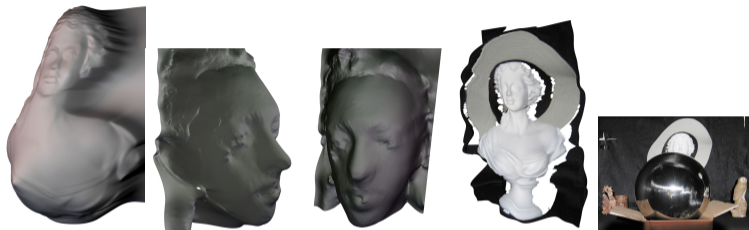
Background Subtraction with Streaming DPGMMs

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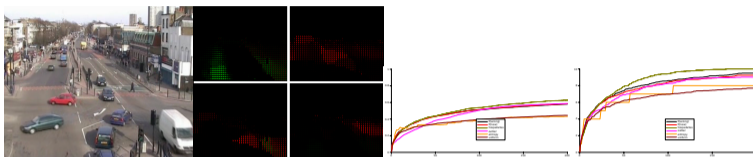
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Contents

- Summary of past work.
- Background subtraction.



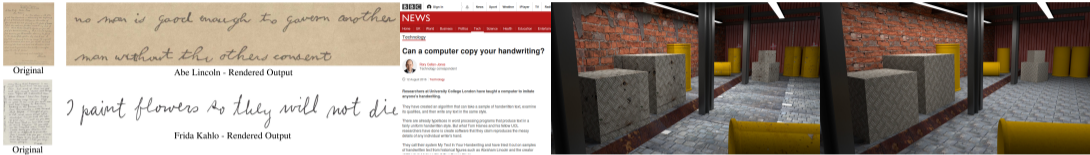
- Shape from Shading [SfS], SfS with Stereopsis and Light Source Estimation from Stereopsis.
- Belief propagation: Discrete, Gaussian and with directional statistics (Fisher-Bingham 8 parameter distribution).
- Generalised Hough transform, Bayesian with branch and bound.



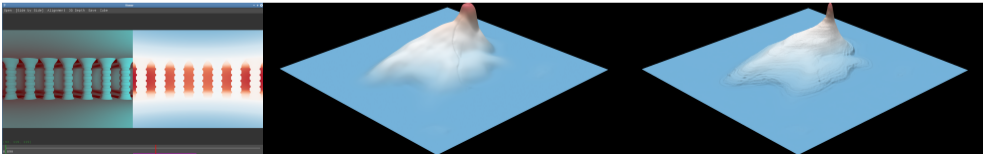
- Background subtraction – Streaming Dirichlet process [DP] mixture models.
- Abnormal behaviour detection – Various topic models, inc. DP based.
- Active learning – DP model, rare class discovery with simultaneous boundary refinement.



Postdoc II



- Handwriting project – received media attention, commercialisation likely.
- Automatic generation of tileable textures.
- Probabilistic and robust camera path estimation.
- Realistic landscape models, by combining real data with an artists rough model.



Outreach

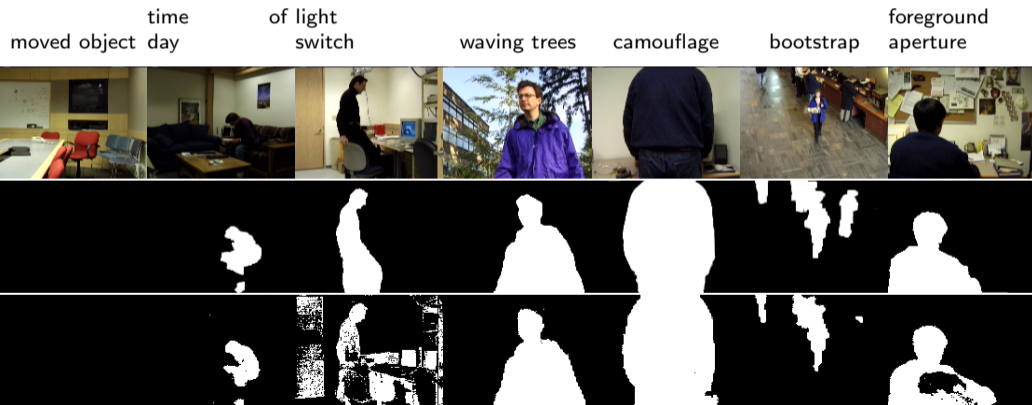


- Director of **3Dami**, an educational non-profit.
- Summer school for college students.
- They make a 3D animated film in a week – have created 14 films!
- Teach them how - process I know in detail.



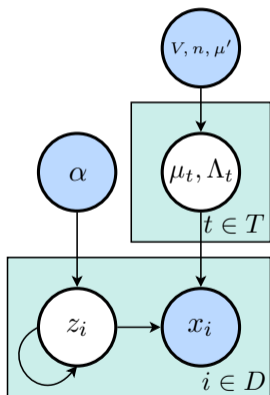
Background Subtraction

- Finds the interesting regions of a video.
- 'Blue screening without a blue screen'.
- Below by row: Input, ground truth, presented.



- Construct a per-pixel model of the background. . .
... using a Dirichlet process Gaussian mixture model (DPGMM).
- Bayes rule on each pixel obtains class membership probability (foreground or background).
- Construct a Markov random field and regularise; solve using belief propagation with momentum (GPU friendly).

Gibbs Sampling



- Gibbs sample the Chinese restaurant model.
- Integrate out μ_t and Λ_t - conjugate prior means we can use the student-t distribution and update incrementally.
- Sample the z_i using

$$P(z_i = t) \propto \begin{cases} \frac{m_t}{\alpha + \sum_{i \in T} m_i} P(x | V_t, n_t, \mu_t) & t \in T \\ \frac{\alpha}{\alpha + \sum_{i \in T} m_i} P(x | V, n, \mu') & t \notin T \end{cases}$$

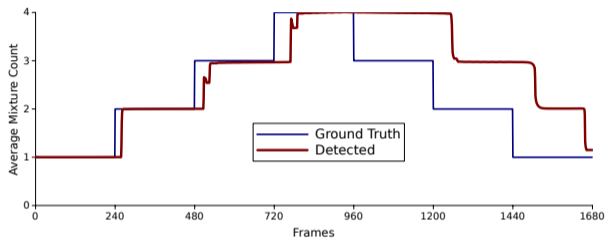
Infinitely Long Videos

- **Problem:** We have an infinite number of samples.
Solution: Sample each new feature vector once only. Can therefore throw them away; keep sample counts and incremental Student-t parameters at each mixture component only.
Comment: This is not a problem because we slowly forget (next slide).
- **Problem:** With infinite data comes infinite mixture components.
Solution: Clamp number of mixture components. When a new mixture component is created replace component with lowest sample count.
Comment: Works, but hard to justify.

Forgetting

- As time passes the background can change – the model needs to forget the old background.
- This is achieved by capping the “confidence” and scaling it back when the threshold is passed.
 - “Confidence” = number of exemplars in highest probability mode. This is tied with the Student-t parameters that are also counting exemplars.
- This causes older sample to be repeatedly scaled to irrelevance as time passes.
- Note that we are capping individual modes, not the model as a whole (which would be the expected solution!).

Behaviour



- Graph shows synthetic input, that is changing its mode count.
- Mode count estimated by thresholding the size of each mixture!
- It discovers new modes quickly, forgets old modes slowly.

Regularisation

- Standard Markov random field over image.
- Have: $P(\text{data}|\text{background})$; Need: $P(\text{background}|\text{data})$ – assume $P(\text{data}|\text{foreground})$ is uniform and apply Bayes rule.
- An edge preserving cost is used between pixels, with a Cauchy distribution-like cost that depends on colour difference:

$$P(l_a = l_b) = \frac{h}{h + m \times \|c_a - c_b\|_2} \quad (1)$$

h is the “half life”, the distance at which the cost is exactly half. m is decreased when a pixel is not like any of its neighbours, to discourage salt and pepper noise.

- Solved with belief propagation – graph cuts would be optimal, but slow on GPU. Done hierarchically for speed.

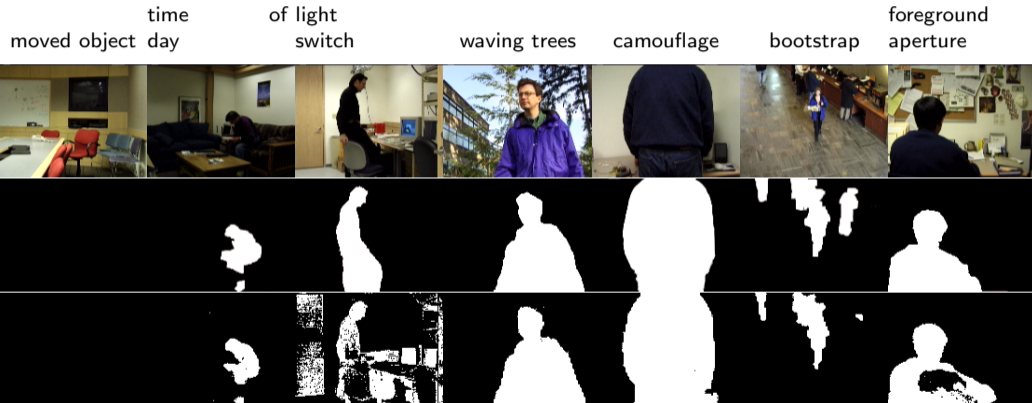
Further Details

- Background subtraction is an old area – it takes a certain amount of engineering to be competitive . . .
 - Weight updates by probability of belonging to the background from last frame.
 - Update model with Gaussian distributions instead of point estimates. Distributions calculated with neighbour pixels for robustness to camera shake.
 - Compensate for lighting change, using a mean shift based estimate of global change from all local estimates (involves adjusting all model parameters!).
 - Custom colour model to reduce the effect of shadows.
 - GPU implementation for speed.

Quantitative Results

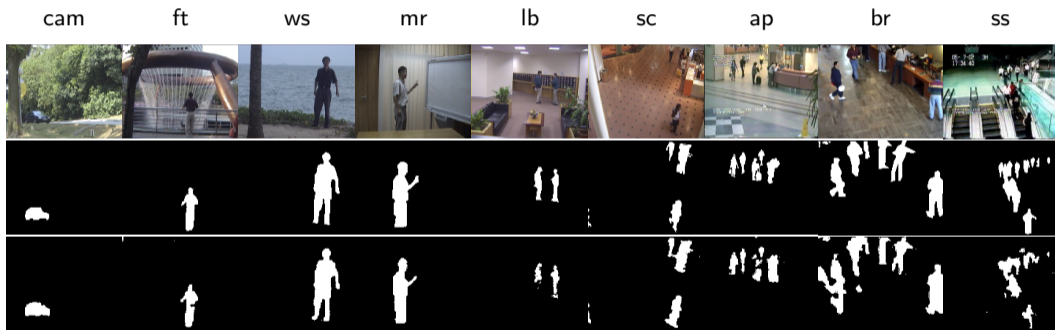
- Big charts of numbers can be found in paper. . .
 - . . . executive summary:
 - SABS (synthetic): 27% improvement.
 - Wallflower: 33% less mistakes.
 - Star: 4% improvement.
 - Change detection: 2% improvement.
- (Compared to nearest competitor in each case, at time of publication)

Output - Wallflower



(First row = input; second row = ground truth; third row = output)

Output - Star



(First row = input; second row = ground truth; third row = output)

Conclusions

- The DPGMM works well in this situation – it models multi-modal distributions and learns how much noise there is.
- Consequentially, it does really well at dynamic backgrounds that stump other algorithms. It's also great with camouflage.
- The method of forgetting learns model changes quickly, but keeps the old model around for a long time, to be reused if needed.